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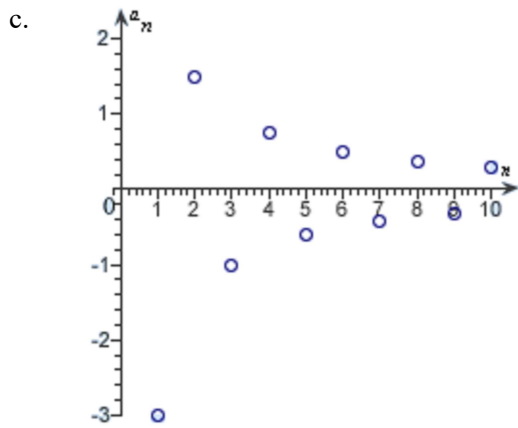
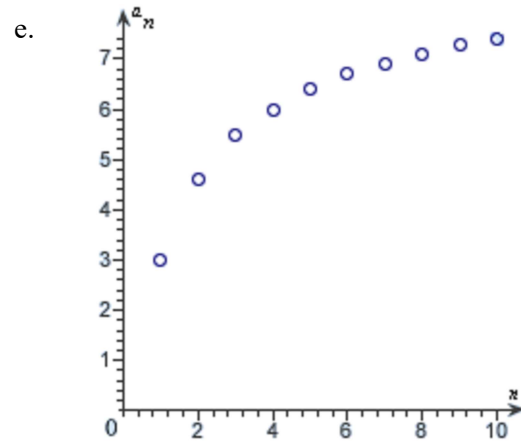
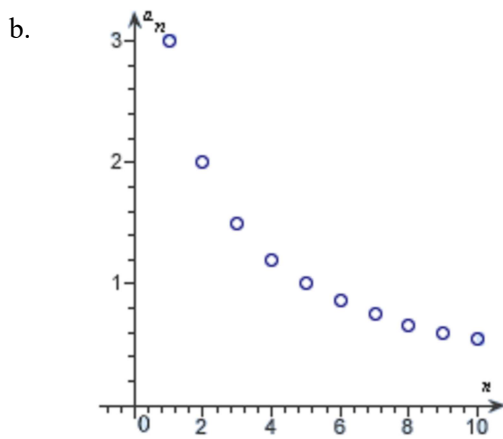
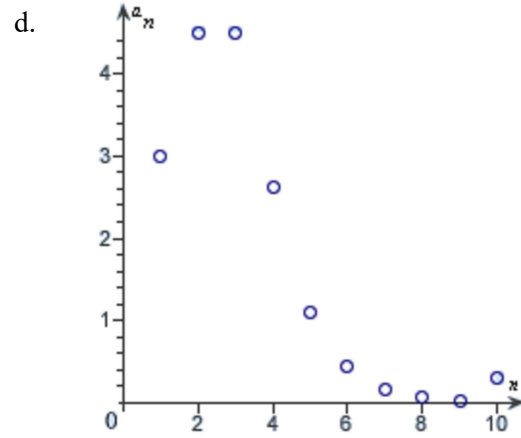
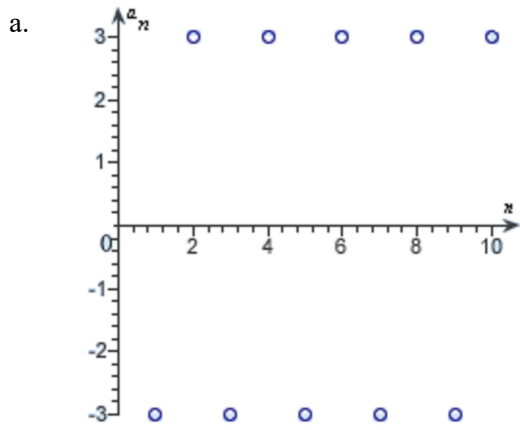
## Ch 9

### Multiple Choice

*Identify the choice that best completes the statement or answers the question.*

- \_\_\_\_\_ 1. Match the sequence with its graph.

$$a_n = \frac{6}{n+1}$$

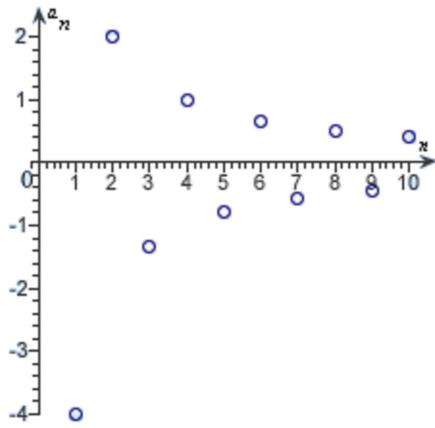


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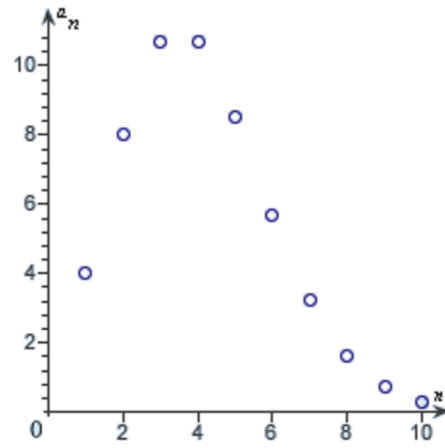
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2. Graph the sequence  $a_n = 4(-1)^n$ .

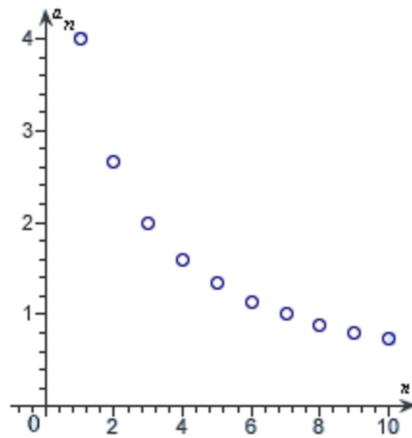
a.



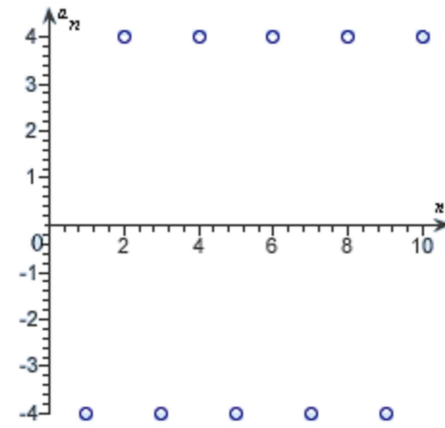
d.



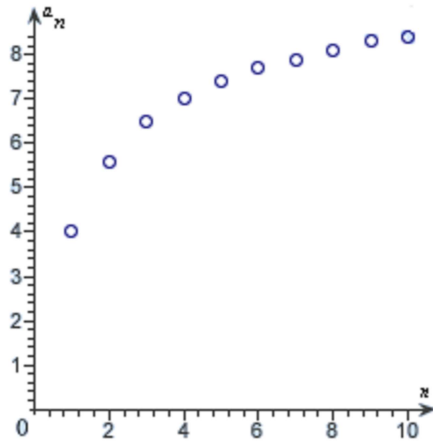
b.



e.



c.



- \_\_\_\_\_ 3. Determine the convergence or divergence of the sequence with the given  $n$ th term. If the sequence converges, find its limit.

$$a_n = \frac{\ln(n^3)}{7n}$$

- The sequence converges to  $-1$ .
  - The sequence converges to  $0$ .
  - The sequence diverges.
  - The sequence converges to  $1$ .
  - The sequence diverges to  $1$ .
- \_\_\_\_\_ 4. Write an expression for the  $n$ th term of the sequence  $\frac{10}{11}, \frac{19}{20}, \frac{28}{29}, \frac{37}{38}, \dots$

a.  $\frac{9n}{9n+2}$

b.  $\frac{9n}{9n+1}$

c.  $\frac{9n-1}{9n+1}$

d.  $\frac{9n+1}{9n+2}$

e.  $\frac{9n-1}{9n+2}$

- \_\_\_\_\_ 5. True or false. The infinite series  $\sum_{n=1}^{\infty} \frac{n}{13n+4}$  diverges.

- false
- true

\_\_\_\_\_ 6. Find the sum of the convergent series.

$$\sum_{n=0}^{\infty} 9\left(\frac{4}{5}\right)^n$$

- a. 4
- b. 36
- c. 9
- d. 27
- e. 45

\_\_\_\_\_ 7. Use the Integral Test to determine the convergence or divergence of the series.

$$\sum_{n=1}^{\infty} \frac{2}{9n+2}$$

- a. diverges
- b. Integral Test inconclusive
- c. converges

\_\_\_\_\_ 8. Use the Integral Test to determine the convergence or divergence of the series.

$$\sum_{n=1}^{\infty} ne^{-\frac{n}{2}}$$

- a. converges
- b. diverges
- c. Integral Test inconclusive

\_\_\_\_\_ 9. True or false: The series  $\frac{\ln 2}{4} + \frac{\ln 3}{6} + \frac{\ln 4}{8} + \frac{\ln 5}{10} + \frac{\ln 6}{12} + \dots$  converges.

- a. false
- b. true

\_\_\_\_\_ 10. True or false: The series  $\frac{1}{3} + \frac{2}{6} + \frac{3}{11} + \dots + \frac{n}{n^2+2} + \dots$  converges.

- a. true
- b. false

\_\_\_\_ 11. True or false: The series  $\sum_{n=1}^{\infty} \frac{1}{\sqrt{n+5}}$  converges.

- a. false
- b. true

\_\_\_\_ 12. Use the Integral Test to determine the convergence or divergence of the series.

$$\sum_{n=2}^{\infty} \frac{\ln n}{n^{10}}$$

- a. diverges
- b. Integral Test inconclusive
- c. converges

\_\_\_\_ 13. Use the Integral Test to determine the convergence or divergence of the series.

$$\sum_{n=2}^{\infty} \frac{10}{n\sqrt{\ln n}}$$

- a. diverges
- b. converges
- c. Integral Test inconclusive

\_\_\_\_ 14. True or false: The series  $\sum_{n=1}^{\infty} \frac{1}{(6n+7)^3}$  converges.

- a. true
- b. false

\_\_\_\_ 15. True or false: The series  $\sum_{n=1}^{\infty} \frac{6n}{4n^2+1}$  diverges.

- a. false
- b. true

\_\_\_\_\_ 16. Determine the convergence or divergence of the series.

$$8 \cdot \sum_{n=1}^{\infty} \frac{1}{n^{1.15}}$$

- a. converges
- b. diverges
- c. cannot be determined

\_\_\_\_\_ 17. Determine the convergence or divergence of the series.

$$\sum_{n=0}^{\infty} \left(\frac{1}{4}\right)^n$$

- a. converges
- b. diverges
- c. cannot be determined

\_\_\_\_\_ 18. Use the Direct Comparison Test to determine the convergence or divergence of the series  $\sum_{n=1}^{\infty} \frac{1}{7n^2 + 9}$ .

- a. The series  $\sum_{n=1}^{\infty} \frac{1}{7n^2 + 9}$  converges.
- b. The series  $\sum_{n=1}^{\infty} \frac{1}{7n^2 + 9}$  diverges.

\_\_\_\_\_ 19. Use the Direct Comparison Test (if possible) to determine whether the series

$$\sum_{n=9}^{\infty} \frac{1}{n^{5/6} - 8}$$

- a. converges
- b. diverges

\_\_\_\_\_ 20. Use the Direct Comparison Test (if possible) to determine whether the series  $\sum_{n=1}^{\infty} \frac{2^n}{8^n + 1}$  converges or diverges.

- a. diverges
- b. converges

\_\_\_\_\_ 21. Use the Direct Comparison Test to determine the convergence or divergence of the series

$$\sum_{n=1}^{\infty} \frac{1}{5^4 \sqrt{n} - 1}$$

- a. The series  $\sum_{n=1}^{\infty} \frac{1}{5^4 \sqrt{n} - 1}$  converges.
- b. The series  $\sum_{n=1}^{\infty} \frac{1}{5^4 \sqrt{n} - 1}$  diverges.

\_\_\_\_\_ 22. Use the Direct Comparison Test to determine the convergence or divergence of the series  $\sum_{n=0}^{\infty} e^{-n^6}$ .

- a. The series  $\sum_{n=0}^{\infty} e^{-n^6}$  diverges.
- b. The series  $\sum_{n=0}^{\infty} e^{-n^6}$  converges.

\_\_\_\_\_ 23. Use the Limit Comparison Test to determine the convergence or divergence of the series

$$\sum_{n=1}^{\infty} \frac{9n}{9n^2 + 2}$$

- a. The series  $\sum_{n=1}^{\infty} \frac{9n}{9n^2 + 2}$  converges.
- b. The series  $\sum_{n=1}^{\infty} \frac{9n}{9n^2 + 2}$  diverges.

\_\_\_\_\_ 24. Use the Limit Comparison Test (if possible) to determine whether the series  $\sum_{n=1}^{\infty} \frac{2}{\sqrt[9]{n^2 + 9}}$ .

- a. diverges
- b. converges
- c. *Limit Comparison* Test does not apply



- \_\_\_\_\_ 25. Use the Limit Comparison Test to determine the convergence or divergence of the series  $\sum_{n=1}^{\infty} \frac{3^n + 1}{8^n + 1}$ .
- a. The series  $\sum_{n=1}^{\infty} \frac{3^n + 1}{8^n + 1}$  converges.
- b. The series  $\sum_{n=1}^{\infty} \frac{3^n + 1}{8^n + 1}$  diverges.
- \_\_\_\_\_ 26. Use the Limit Comparison Test (if possible) to determine whether the series  $\sum_{n=1}^{\infty} \frac{4^{n+1}}{5^n - 6}$  converges or diverges.
- a. diverges
- b. converges
- \_\_\_\_\_ 27. Use the Limit Comparison Test (if possible) to determine whether the series  $\sum_{n=1}^{\infty} \frac{2n^2 - 7}{7n^7 + 3n + 2}$  converges or diverges.
- a. converges
- b. diverges
- \_\_\_\_\_ 28. Use the Limit Comparison Test to determine the convergence or divergence of the series  $\sum_{n=1}^{\infty} \frac{9}{n\sqrt{n^2 + 6}}$ .
- a. The series  $\sum_{n=1}^{\infty} \frac{9}{n\sqrt{n^2 + 6}}$  diverges.
- b. The series  $\sum_{n=1}^{\infty} \frac{9}{n\sqrt{n^2 + 6}}$  converges.
- \_\_\_\_\_ 29. Use the Limit Comparison Test to determine the convergence or divergence of the series  $\sum_{n=6}^{\infty} \frac{1}{n^7 - 6}$ .
- a. The series  $\sum_{n=6}^{\infty} \frac{1}{n^7 - 6}$  diverges.
- b. The series  $\sum_{n=6}^{\infty} \frac{1}{n^7 - 6}$  converges.

\_\_\_\_\_ 30. Use the Direct Comparison Test to determine the convergence or divergence of the series

$$\sum_{n=1}^{\infty} \frac{7n}{(n^2 + 7)^2}.$$

- a. The series  $\sum_{n=1}^{\infty} \frac{7n}{(n^2 + 7)^2}$  diverges.
- b. The series  $\sum_{n=1}^{\infty} \frac{7n}{(n^2 + 7)^2}$  converges.

\_\_\_\_\_ 31. Determine the convergence or divergence of the series  $\frac{1}{251} + \frac{1}{258} + \frac{1}{277} + \frac{1}{314} \dots$

- a. The series  $\frac{1}{251} + \frac{1}{258} + \frac{1}{277} + \frac{1}{314} \dots$  diverges.
- b. The series  $\frac{1}{251} + \frac{1}{258} + \frac{1}{277} + \frac{1}{314} \dots$  converges.

\_\_\_\_\_ 32. Consider the series  $\sum_{n=1}^{\infty} \frac{1}{(6n-1)^2}$ . The sum of the series is  $\pi^2 / 6$  Find the sum of the series  $\sum_{n=5}^{\infty} \frac{1}{(6n-1)^2}$ .

- a. 1.5932  
b. 1.5632  
c. 1.6132  
d. 1.6232  
e. 1.5732

\_\_\_\_\_ 33. True or false: The series  $\sum_{n=1}^{\infty} \frac{(-1)^{n+1} n}{6n+4}$  converges.

- a. true  
b. false

\_\_\_\_\_ 34. True or false: The series  $\sum_{n=1}^{\infty} \frac{(-1)^n}{9^n}$  diverges.

- a. true  
b. false

\_\_\_\_\_ 35. True or false: The series  $\sum_{n=1}^{\infty} \frac{(-1)^n}{(6n+3)!}$  converges .

- a. true
- b. false

\_\_\_\_\_ 36. Determine whether the series  $\sum_{n=1}^{\infty} \frac{(-1)^{n+1}}{n+2}$  converges conditionally or absolutely, or diverges.

- a. The series converges conditionally but does not converge absolutely.
- b. The series converges absolutely but does not converge conditionally.
- c. The series diverges.
- d. The series converges absolutely.

\_\_\_\_\_ 37. Determine whether the series  $\sum_{n=0}^{\infty} \frac{\cos(n\pi)}{n+3}$  converges conditionally or absolutely, or diverges.

- a. The series converges absolutely.
- b. The series diverges.
- c. The series converges absolutely but does not converge conditionally.
- d. The series converges conditionally but does not converge absolutely.

\_\_\_\_\_ 38. Approximate the sum of the series by using the first six terms.

$$\sum_{n=0}^{\infty} \frac{(-1)^n 4}{n!}$$

- a.  $1.457 < S < 1.477$
- b.  $1.417 < S < 1.497$
- c.  $1.467 < S < 1.472$
- d.  $1.427 < S < 1.467$
- e.  $1.461 < S < 1.473$

\_\_\_\_\_ 39. Determine the minimal number of terms required to approximate the sum of the series with an error of less than 0.008.

$$\sum_{n=1}^{\infty} \frac{(-1)^{n+1}}{2n^3 - 1}$$

- a. 3
- b. 1
- c. 4
- d. 6
- e. 2

- \_\_\_\_\_ 40. Determine the minimal number of terms required to approximate the sum of the series with an error of less than 0.005.

$$\sum_{n=0}^{\infty} \frac{(-1)^n}{(2n)!}$$

- a. 6
- b. 4
- c. 5
- d. 8
- e. 3

- \_\_\_\_\_ 41. Approximate the sum of the series by using the first six terms.

$$\sum_{n=1}^{\infty} \frac{(-1)^{n+1} 3}{\ln(n+1)}$$

- a.  $0.587 < S < 3.473$
- b.  $1.549 < S < 2.511$
- c.  $1.309 < S < 2.751$
- d.  $0.427 < S < 3.633$
- e.  $0.227 < S < 3.833$

- \_\_\_\_\_ 42. Use the Ratio Test to determine the convergence or divergence of the series  $\sum_{n=0}^{\infty} \frac{n!}{8^n}$ .

- a. converges
- b. diverges

- \_\_\_\_\_ 43. Use the Ratio Test to determine the convergence or divergence of the series.

$$\sum_{n=1}^{\infty} n \left( \frac{3}{10} \right)^n$$

- a. diverges
- b. Ratio Test inconclusive
- c. converges

\_\_\_ 44. Use the Ratio Test to determine the convergence or divergence of the series.

$$\sum_{n=1}^{\infty} \frac{n^6}{10^n}$$

- a. converges
- b. diverges
- c. Ratio Test inconclusive

\_\_\_ 45. Use the Ratio Test to determine the convergence or divergence of the series.

$$\sum_{n=1}^{\infty} \frac{(-1)^{n-1} \left(\frac{7}{2}\right)^n}{n^2}$$

- a. diverges
- b. converges
- c. Ratio Test inconclusive

\_\_\_ 46. Use the Ratio Test to determine the convergence or divergence of the series  $\sum_{n=0}^{\infty} \frac{(-1)^n (7)^{8n}}{(7n+1)!}$ .

- a. diverges
- b. converges

\_\_\_ 47. Use the Root Test to determine the convergence or divergence of the series  $\sum_{n=1}^{\infty} \frac{1}{16^n}$ .

- a. converges
- b. diverges

\_\_\_ 48. Use the Root Test to determine the convergence or divergence of the series.

$$\sum_{n=1}^{\infty} \left(\frac{4n}{3n+1}\right)^n$$

- a. converges
- b. diverges
- c. Root Test inconclusive

\_\_\_ 49. Use the Root Test to determine the convergence or divergence of the series.

$$\sum_{n=1}^{\infty} \left( \frac{7n+1}{4n-1} \right)^n$$

- a. converges
- b. diverges
- c. Root Test inconclusive

\_\_\_ 50. Use the Root Test to determine the convergence or divergence of the series.

$$\sum_{n=1}^{\infty} \left( \frac{7n^2+1}{10n^2-1} \right)^n$$

- a. Root Test inconclusive
- b. converges
- c. diverges

\_\_\_ 51. Use the Root Test to determine the convergence or divergence of the series  $\sum_{n=1}^{\infty} e^{3n}$ .

- a. converges
- b. diverges

\_\_\_ 52. Determine the convergence or divergence of the series  $\sum_{n=1}^{\infty} \frac{7(-1)^{n+1}}{n}$  using any appropriate test.

- a. converges
- b. diverges

\_\_\_ 53. Identify the most appropriate test to be used to determine whether the series  $\sum_{n=1}^{\infty} \frac{15(-1)^{n+1}}{n}$  converges or diverges.

- a. Ratio Test
- b.  $\rho$ -Series Test
- c. Alternating Series Test
- d. Telescoping Series Test
- e. Root Test

- \_\_\_\_\_ 54. Determine the convergence or divergence of the series using any appropriate test from this chapter. Identify the test used.

$$\sum_{n=1}^{\infty} \frac{(-1)^n 9}{7n}$$

- converges; Integral Test
- converges; Ratio Test
- converges; Alternating Series Test
- diverges; Ratio Test
- diverges; Integral Test

- \_\_\_\_\_ 55. Determine the convergence or divergence of the series using any appropriate test from this chapter. Identify the test used.

$$\sum_{n=1}^{\infty} \frac{10}{n^{-}}$$

- converges; Ratio Test
- both civerges;  $p$ -series and civerges; Integral Test
- civerges;  $p$ -series
- civerges; Integral Test
- converges;  $p$ -series

- \_\_\_\_\_ 56. Determine the convergence or divergence of the series using any appropriate test from this chapter. Identify the test used.

$$\sum_{n=1}^{\infty} \frac{6n}{n+9}$$

- both diverges; Ratio Test and diverges; Theorem 9.9 ( $n^{\text{th}}$  Term Test for Divergence)
- converges; Integral Test
- diverges; Theorem 9.9 ( $n^{\text{th}}$  Term Test for Divergence)
- converges;  $p$ -series
- diverges; Ratio Test

- \_\_\_\_\_ 57. Determine the convergence or divergence of the series  $\sum_{n=1}^{\infty} \frac{n}{7n^2+1}$  using any appropriate test.

- converges
- diverges

- \_\_\_\_\_ 58. Determine the convergence or divergence of the series  $\sum_{n=1}^{\infty} \frac{\cos n}{10^n}$  using any appropriate test.
- diverges
  - converges
- \_\_\_\_\_ 59. Identify the most appropriate test to be used to determine whether the series  $\sum_{n=1}^{\infty} \frac{\cos n}{6^n}$  converges or diverges.
- Limit Comparison Test with  $b_n = \frac{1}{6^n}$
  - Direct Comparison Test with  $b_n = \frac{1}{6^n}$
  - Alternating Series Test
  - Root Test
  - Ratio Test
- \_\_\_\_\_ 60. Find the values of  $x$  for which the series  $\sum_{n=0}^{\infty} 5\left(\frac{x}{4}\right)^n$  converges.
- $-5 < x < 0$
  - $0 < x < 5$
  - $-4 < x < 4$
  - $-5 < x < 5$
  - $0 < x < 4$
- \_\_\_\_\_ 61. Find the values of  $x$  for which the series  $\sum_{n=0}^{\infty} 9(x-1)^n$  converges.
- $8 < x < 10$
  - $-1 < x < 1$
  - $-9 < x < 0$
  - $0 < x < 2$
  - $-2 < x < 0$



\_\_\_\_\_ 62. Find a first-degree polynomial function  $P_1$  whose value and slope agree with the value and slope of  $f(x) = \frac{10}{\sqrt{x}}$  at  $x = 25$ .

- a.  $1 + \frac{1}{25}x$
- b.  $1 - \frac{1}{25}x$
- c.  $-3 - \frac{1}{25}x$
- d.  $3 + \frac{1}{25}x$
- e.  $3 - \frac{1}{25}x$

\_\_\_\_\_ 63. Find the Maclaurin polynomial of degree 4 for the function.

$$f(x) = e^{9x}$$

- a.  $1 + 9x + \frac{81}{2}x^2 + \frac{243}{2}x^3 + \frac{2187}{8}x^4$
- b.  $1 - 9x + \frac{27}{2}x^2 + \frac{243}{2}x^3 + \frac{2187}{8}x^4$
- c.  $1 - 9x + \frac{27}{2}x^2 - \frac{243}{4}x^3 + \frac{2187}{16}x^4$
- d.  $1 + 9x + \frac{27}{2}x^2 + \frac{243}{4}x^3 + \frac{2187}{16}x^4$
- e.  $1 + 9x + \frac{81}{2}x^2 + \frac{729}{4}x^3 + \frac{2187}{2}x^4$

\_\_\_\_\_ 64. Find the Maclaurin polynomial of degree 3 for the function.

$$f(x) = e^{-9x}$$

- a.  $-1 + 9x - \frac{81}{2}x^2 + \frac{243}{2}x^3$
- b.  $1 - 9x + \frac{81}{2}x^2 - \frac{243}{2}x^3$
- c.  $1 + 9x + \frac{81}{2}x^2 + \frac{243}{2}x^3$
- d.  $1 - 9x - \frac{81}{2}x^2 - \frac{243}{2}x^3$
- e.  $1 - 9x + \frac{81}{2}x^2 + \frac{243}{2}x^3$

\_\_\_\_ 65. Find the Maclaurin polynomial of degree 5 for the function.

$$f(x) = \sin(2x)$$

a.  $2x - \frac{4}{3}x^3 + \frac{4}{15}x^5$

b.  $2 + \frac{4}{3}x^2 + \frac{2}{3}x^2$

c.  $2x - \frac{8}{3}x^3 + \frac{32}{5}x^5$

d.  $2x - \frac{4}{3}x^3 + \frac{2}{3}x^5$

e.  $2x + \frac{4}{3}x^3 + \frac{4}{15}x^5$

\_\_\_\_ 66. Find the Maclaurin polynomial of degree 4 for the function.

$$f(x) = \cos(5x)$$

a.  $1 + \frac{25}{2}x^2 - \frac{625}{24}x^4$

b.  $1 - \frac{25}{2}x^2 + \frac{625}{24}x^4$

c.  $1 - \frac{125}{6}x^2 + \frac{625}{24}x^4$

d.  $1 + \frac{125}{6}x^2 - \frac{625}{24}x^4$

e.  $x - \frac{125}{6}x^3 + \frac{625}{24}x^5$

\_\_\_\_ 67. Find the fourth degree Maclaurin polynomial for the function.

$$f(x) = \frac{1}{x+4}$$

a.  $\frac{1}{4} + \frac{1}{16}x - \frac{1}{64}x^2 + \frac{1}{256}x^3 - \frac{1}{1024}x^4$

b.  $\frac{1}{4} + \frac{1}{16}x + \frac{1}{64}x^2 + \frac{1}{256}x^3 + \frac{1}{1024}x^4$

c.  $4 + 16x + 64x^2 + 256x^3 + 1024x^4$

d.  $4 - 16x + 64x^2 - 256x^3 + 1024x^4$

e.  $\frac{1}{4} - \frac{1}{16}x + \frac{1}{64}x^2 - \frac{1}{256}x^3 + \frac{1}{1024}x^4$

\_\_\_\_\_ 68. Find the Maclaurin polynomial of degree two for the function  $f(x) = \sec(11x)$ .

a.  $P_2(x) = 1 + \frac{121}{4}x^2$

b.  $P_2(x) = 1 - \frac{121}{2}x^2$

c.  $P_2(x) = 1 + \frac{121}{2}x^2$

d.  $P_2(x) = x + \frac{121}{2}x^2$

e.  $P_2(x) = x - \frac{121}{2}x^2$

\_\_\_\_\_ 69. Find the third Taylor polynomial for  $f(x) = \frac{7}{x}$ , expanded about  $c = 1$ .

a.  $P_3(x) = 7 - 7(x-1) - 14(x-1)^2 - 7(x-1)^3$

b.  $P_3(x) = 7 - 7(x-1) + 7(x-1)^2 - 7(x-1)^3$

c.  $P_3(x) = 7 - 7(x-1) + 14(x-1)^2 - 14(x-1)^3$

d.  $P_3(x) = 7 - 7(x+1) + 7(x+1)^2 - 7(x+1)^3$

e.  $P_3(x) = 7 - 7(x-1) - 42(x-1)^2 - 7(x-1)^3$

\_\_\_\_\_ 70. Find the third degree Taylor polynomial centered at  $c = 1$  for the function.

$$f(x) = \sqrt{x}$$

a.  $1 + \frac{1}{2}(x+1) - \frac{1}{8}(x-1)^2 + \frac{1}{16}(x+1)^3$

b.  $1 + \frac{1}{2}(x-1) + \frac{1}{8}(x-1)^2 - \frac{1}{16}(x-1)^3$

c.  $1 + \frac{1}{2}(x-1) - \frac{1}{8}(x-1)^2 + \frac{1}{16}(x-1)^3$

d.  $1 + \frac{1}{2}(x-1) - \frac{1}{8}(x-1)^2 - \frac{1}{16}(x-1)^3$

e.  $1 + \frac{1}{2}(x+1) + \frac{1}{8}(x-1)^2 - \frac{1}{16}(x+1)^3$

\_\_\_\_ 71. Find the fourth degree Taylor polynomial centered at  $c = 7$  for the function.

$$f(x) = \ln x$$

- a.  $\ln 7 - \frac{1}{7}(x-7) - \frac{1}{98}(x-7)^2 - \frac{1}{1029}(x-7)^3 - \frac{1}{9604}(x-7)^4$
- b.  $\ln 7 + 7(x-7) - 98(x-7)^2 + 1029(x-7)^3 - 9604(x-7)^4$
- c.  $\ln 7 + \frac{1}{7}(x-7) - \frac{1}{98}(x-7)^2 + \frac{1}{1029}(x-7)^3 - \frac{1}{9604}(x-7)^4$
- d.  $\ln 7 - 7(x-7) + 98(x-7)^2 - 1029(x-7)^3 + 9604(x-7)^4$
- e.  $\ln 7 - \frac{1}{7}(x-7) + \frac{1}{98}(x-7)^2 - \frac{1}{1029}(x-7)^3 + \frac{1}{9604}(x-7)^4$

\_\_\_\_ 72. Determine the degree of the Maclaurin polynomial required for the error in the approximation of the function  $\sin(0.6)$  to be less than 0.001.

- a. 4
- b. 2
- c. 5
- d. 1
- e. 3

\_\_\_\_ 73. Determine the values of  $x$  for which the function  $f(x) = \sin x$  can be replaced by the Taylor polynomial

$$f(x) = \sin x \approx x - \frac{x^3}{3!} \text{ if the error cannot exceed } 0.008. \text{ Round your answer to four decimal places.}$$

- a.  $-0.9919 < x < 0.9919$
- b.  $-1.9838 < x < 1.9838$
- c.  $-0.2480 < x < 0.2480$
- d.  $-1.9919 < x < 1.9919$
- e.  $-0.4960 < x < 0.4960$

\_\_\_\_ 74. State where the power series  $\sum_{n=1}^{\infty} \frac{(x-2)^n}{n^3}$  is centered.

- a. 0
- b. -3
- c. 2
- d. 3
- e. -2

\_\_\_\_ 75. Find the radius of convergence of the power series.

$$\sum_{n=0}^{\infty} \frac{(-1)^n x^n}{5^n}$$

- a.  $\frac{1}{25}$
- b.  $\frac{1}{5}$
- c. 5
- d.  $\infty$
- e. 25

\_\_\_\_ 76. Find the radius of convergence of the power series.

$$\sum_{n=0}^{\infty} \frac{(8x)^{2n}}{(2n)!}$$

- a.  $\infty$
- b. 16
- c. 64
- d. 0
- e. 8

\_\_\_\_ 77. Find the interval of convergence of the power series. (Be sure to include a check for convergence at the endpoints of the interval.)

$$\sum_{n=0}^{\infty} \left(\frac{x}{6}\right)^n$$

- a.  $[-6, 6)$
- b.  $(-6, 6)$
- c.  $[-6, 6]$
- d.  $\left(\frac{-1}{6}, \frac{1}{6}\right)$
- e.  $\left[\frac{-1}{6}, \frac{1}{6}\right)$

- \_\_\_\_\_ 78. Find the interval of convergence of the power series. (Be sure to include a check for convergence at the endpoints of the interval.)

$$\sum_{n=0}^{\infty} \frac{(3x)^n}{(4n)!}$$

- a.  $\left[-\frac{1}{3}, \frac{1}{3}\right)$
- b.  $[-1, 1)$
- c.  $(-1, 1)$
- d.  $(-\infty, \infty)$
- e.  $(-3, 3)$

- \_\_\_\_\_ 79. Find the interval of convergence of the power series. (Be sure to include a check for convergence at the endpoints of the interval.)

$$\sum_{n=0}^{\infty} \frac{(-1)^n n! (x-10)^n}{(9)^n}$$

- a.  $\{10\}$
- b.  $(-10, 10)$
- c.  $\{0\}$
- d.  $[-10, 10)$
- e.  $(-\infty, \infty)$

- \_\_\_\_\_ 80. Find the interval of convergence of the power series  $\sum_{n=0}^{\infty} \frac{(x-12)^{n-1}}{12^{n-1}}$ . (Be sure to include a check for convergence at the endpoints of the interval.)

- a.  $(-\infty, 0) \cup (24, \infty)$
- b.  $(-\infty, 0] \cup [12, \infty)$
- c.  $[0, 24]$
- d.  $(0, 24)$
- e.  $(0, 12)$

\_\_\_\_ 81. Find the interval of convergence of the power series  $\sum_{n=0}^{\infty} \frac{x^{3n+1}}{(3n+1)!}$ . (Be sure to include a check for convergence at the endpoints of the interval.)

- a.  $(-\infty, 4)$
- b.  $[-4, 4]$
- c.  $[-3, 3]$
- d.  $(4, \infty)$
- e.  $(-\infty, \infty)$

\_\_\_\_ 82. Write an equivalent series of the series  $\sum_{n=0}^{\infty} \frac{x^n}{n!}$  with the index of summation beginning at  $n = 5$ .

- a.  $\sum_{n=5}^{\infty} \frac{x^{n-5}}{(n-5)!}$
- b.  $\sum_{n=5}^{\infty} \frac{x^{n-5}}{n!}$
- c.  $\sum_{n=5}^{\infty} \frac{x^{n+5}}{n!}$
- d.  $\sum_{n=5}^{\infty} \frac{x^{n+5}}{(n+5)!}$
- e.  $\sum_{n=5}^{\infty} \frac{x^n}{(n-5)!}$

\_\_\_\_\_ 83. Write an equivalent series of the series  $\sum_{n=0}^{\infty} \frac{(-1)^n x^{6n+1}}{6n+1}$  with the index of summation beginning at  $n = 5$ .

a.  $\sum_{n=5}^{\infty} \frac{(-1)^n x^{6n+29}}{6n+29}$

b.  $\sum_{n=5}^{\infty} \frac{(-1)^n x^{6n-31}}{6n-31}$

c.  $\sum_{n=5}^{\infty} \frac{(-1)^{n-5} x^{6n-29}}{6n-29}$

d.  $\sum_{n=5}^{\infty} \frac{(-1)^{n-5} x^{6n+29}}{6n+29}$

e.  $\sum_{n=5}^{\infty} \frac{(-1)^{n+5} x^{7n-29}}{7n-29}$

\_\_\_\_\_ 84. Consider the function given by  $f(x) = \sum_{n=0}^{\infty} \left(\frac{x}{14}\right)^n$ . Find the interval of convergence for  $f'(x)$ .

a.  $[-14, 14)$

b.  $(-14, 0]$

c.  $(0, 14)$

d.  $[-14, 14]$

e.  $(-14, 14)$

\_\_\_\_\_ 85. Consider the function given by  $f(x) = \sum_{n=0}^{\infty} \left(\frac{x}{9}\right)^n$ . Find the interval of convergence for  $\int f(x) dx$ .

a.  $(-9, 9)$

b.  $(-9, 0]$

c.  $[-9, 9]$

d.  $[-9, 9)$

e.  $(0, 9)$



\_\_\_\_\_ 86. Consider the function given by  $f(x) = \sum_{n=1}^{\infty} \frac{(-1)^{n+1}(x-6)^n}{n}$ . Find the interval of convergence for  $f'(x)$ .

- a.  $[-6, 6]$
- b.  $[5, 7]$
- c.  $(0, 7)$
- d.  $(-6, 6)$
- e.  $(5, 7)$

\_\_\_\_\_ 87. Consider the function given by  $f(x) = \sum_{n=1}^{\infty} \frac{(-1)^{n+1}(x-7)^n}{n}$ . Find the interval of convergence for  $\int f(x) dx$ .

- a.  $[-7, 7]$
- b.  $[6, 8]$
- c.  $(6, 8)$
- d.  $(0, 8)$
- e.  $(-7, 7)$

\_\_\_\_\_ 88. Find the differential equation having the solution  $\sum_{n=0}^{\infty} \frac{(-1)^n (4x)^{2n+1}}{(2n+1)!}$ .

- a.  $y'' - 16y = 0$
- b.  $y'' + 16y' = 0$
- c.  $y' - 16y = 0$
- d.  $y'' + 16y = 0$
- e.  $y' + 16y = 0$

\_\_\_\_ 89. Find a geometric power series for the function  $\frac{1}{7-x}$  centered at 0.

a.  $\sum_{n=0}^{\infty} \frac{x^n}{7^n + 1}$

b.  $\sum_{n=0}^{\infty} \left(\frac{x}{7}\right)^n + 1$

c.  $\sum_{n=0}^{\infty} \left(\frac{x}{7}\right)^n$

d.  $\sum_{n=0}^{\infty} \frac{x^n}{7^{n+1}}$

e.  $\sum_{n=0}^{\infty} \left(\frac{x}{7}\right)^{n+1}$

\_\_\_\_ 90. Find a geometric power series for the function  $\frac{1}{6+x}$  centered at 0.

a.  $\sum_{n=0}^{\infty} \frac{(-1)^n x^n}{6^{n+1}}$

b.  $\sum_{n=0}^{\infty} \frac{-x^n}{6^{n+1}}$

c.  $\sum_{n=0}^{\infty} \frac{x^n}{6^{n+1}}$

d.  $\sum_{n=0}^{\infty} \frac{(-1)^n x^n}{6^n} + 1$

e.  $\sum_{n=0}^{\infty} \frac{(-1)^n x^n}{6^n + 1}$

- \_\_\_\_\_ 91. Find a geometric power series for the function centered at 0, (i) by the technique shown in Examples 1 and 2 and (ii) by long division.

$$f(x) = \frac{10}{4-x}$$

- a.  $\sum_{n=0}^{\infty} \frac{5}{2} \left(\frac{x}{4}\right)^n, |x| < 4$
- b.  $\sum_{n=0}^{\infty} \frac{1}{4} \left(\frac{x}{4}\right)^n, |x| < 4$
- c.  $\sum_{n=0}^{\infty} 10 \left(-\frac{x}{4}\right)^n, |x| < 4$
- d.  $\sum_{n=0}^{\infty} \frac{5}{2} (-4x)^n, |x| < 4$
- e.  $\sum_{n=0}^{\infty} \frac{5}{2} (-x)^n, |x| < 1$

- \_\_\_\_\_ 92. Find a power series for the function  $\frac{1}{1-9x}$  centered at 0.

- a.  $\sum_{n=0}^{\infty} \left(\frac{x}{9}\right)^n$
- b.  $\sum_{n=0}^{\infty} (-9x)^n$
- c.  $\sum_{n=0}^{\infty} \left(\frac{9}{x}\right)^n$
- d.  $\sum_{n=0}^{\infty} (9x)^n$
- e.  $\sum_{n=0}^{\infty} (-1)^n (9x)^n$

\_\_\_\_ 93. Find a power series for the function  $\frac{12}{12x+13}$  centered at 0.

a.  $\sum_{n=0}^{\infty} -\left(\frac{12}{13}\right)^{n+1} x^n$

b.  $\sum_{n=0}^{\infty} (-1)^n \left(\frac{12}{13}\right)^{n+1} x^n$

c.  $\sum_{n=0}^{\infty} \left(\frac{12}{13}\right)^{n+1} x^n$

d.  $\sum_{n=0}^{\infty} (-1)^n \left(\frac{12x}{13}\right)^{n+1}$

e.  $\sum_{n=0}^{\infty} (-1)^n \left(\frac{12x}{13}\right)^n + 1$

\_\_\_\_ 94. Find a power series for the function  $\frac{24x-35}{6x^2+29x-5}$  centered at 0.

a.  $\sum_{n=0}^{\infty} \left(-\frac{1}{5^n} + 6^{n+1}\right) x^n$

b.  $\sum_{n=0}^{\infty} \left(\frac{x}{5^n} + 6^{n+1}\right) x^n$

c.  $\sum_{n=0}^{\infty} \left(\frac{(-1)^n}{5^n} + 6^{n+1}\right) x^n$

d.  $\sum_{n=0}^{\infty} \left(-\frac{x}{6^n} + 5^{n+1}\right) x^n$

e.  $\sum_{n=0}^{\infty} \left(\frac{(-1)^n}{6^n} + 5^{n+1}\right) x^n$

\_\_\_\_\_ 95. Find a power series for the function  $\frac{9}{9+x^2}$  centered at 0.

a.  $\sum_{n=0}^{\infty} \frac{(-1)^n x^{n+1}}{9^n}$

b.  $\sum_{n=0}^{\infty} \frac{(-1)^n x^n}{9^n}$

c.  $\sum_{n=0}^{\infty} \frac{(-1)^n x^{2n}}{9^n}$

d.  $\sum_{n=0}^{\infty} \frac{(-1)^n x^{2n+1}}{9^n}$

e.  $\sum_{n=0}^{\infty} \frac{(-1)^n x^{2n}}{9^{n+1}}$

\_\_\_\_\_ 96. Use the power series  $\frac{1}{1+x} = \sum_{n=0}^{\infty} (-1)^n x^n$  to determine a power series centered at 0 for the function

$$f(x) = -\frac{8}{(8x+1)^2} = \frac{d}{dx} \left[ \frac{1}{8x+1} \right].$$

a.  $\sum_{n=0}^{\infty} (-8)^n n x^{n-1}$

b.  $\sum_{n=0}^{\infty} (8)^n n x^{n-1}$

c.  $\sum_{n=0}^{\infty} (-8)^n x^n$

d.  $\sum_{n=0}^{\infty} (-8)^n x^n$

e.  $\sum_{n=0}^{\infty} (-8)^n (n-1) x^{n-1}$

\_\_\_\_\_ 97. Identify the interval of convergence of a power series  $\sum_{n=1}^{\infty} (-3)^n nx^{n-1}$ .

- a.  $-3 < x < 3$
- b.  $-1 < x < 1$
- c.  $-\frac{1}{3} < x < \frac{1}{3}$
- d.  $0 < x < 3$
- e.  $-\frac{1}{6} < x < \frac{1}{6}$

\_\_\_\_\_ 98. Use the power series  $\frac{1}{1+x} = \sum_{n=0}^{\infty} (-1)^n x^n$  to determine a power series centered at 0 for the function

$$g(x) = \frac{1}{11x^2 + 1}.$$

- a.  $\sum_{n=0}^{\infty} (-11)^n x^n$
- b.  $\sum_{n=0}^{\infty} (11)^n x^{2n}$
- c.  $\sum_{n=0}^{\infty} (-1)^n x^{2n}$
- d.  $\sum_{n=0}^{\infty} (-1)^n x^n$
- e.  $\sum_{n=0}^{\infty} (-11)^n x^{2n}$

\_\_\_\_\_ 99. Identify the interval of convergence of a power series  $\sum_{n=1}^{\infty} (-9)^n x^{2n}$ .

- a.  $-\frac{1}{3} < x < \frac{1}{3}$
- b.  $0 < x < \frac{1}{3}$
- c.  $-\frac{1}{9} < x < \frac{1}{9}$
- d.  $-\frac{1}{9} < x < 0$
- e.  $0 < x < \frac{1}{9}$

\_\_\_\_\_ 100. Use the series  $\sum_{n=0}^{\infty} (-1)^n \frac{x^{2n+1}}{2n+1}$  for  $f(x) = \arctan x$  to approximate the value of  $\arctan \frac{1}{8}$  using  $R_N \leq 0.001$ .

Round your answer to three decimal places.

- a. 0.125
- b. 0.111
- c. 0.143
- d. 0.100
- e. 0.133

\_\_\_\_\_ 101. Use the power series  $\frac{1}{1-x} = \sum_{n=0}^{\infty} x^n, |x| < 1$  to determine a power series for the function  $f(x) = \frac{5x}{(1-5x)^2}$ .

- a.  $\sum_{n=1}^{\infty} n(-1)^n (5x)^{n+1}$
- b.  $\sum_{n=1}^{\infty} n(-1)^n (5x)^n$
- c.  $\sum_{n=1}^{\infty} n(5x)^n$
- d.  $\sum_{n=1}^{\infty} n(5x)^{n-1}$
- e.  $\sum_{n=1}^{\infty} n(5x)^{n+1}$

\_\_\_\_\_ 102. Identify the interval of convergence of a power series  $\sum_{n=1}^{\infty} n(2x)^n$ .

- a.  $-\frac{1}{2} < x < 0$
- b.  $-\frac{1}{2} < x < \frac{1}{2}$
- c.  $0 < x < \frac{1}{2}$
- d.  $-\frac{1}{4} < x < \frac{1}{4}$
- e.  $0 < x < \frac{1}{4}$

\_\_\_\_ 103. Explain how to use the geometric series  $g(x) = \frac{1}{1-x} = \sum_{n=0}^{\infty} x^n, |x| < 1$  to find the series for the function

$$\frac{9}{1+x}.$$

- replace  $x$  with  $\frac{9}{(-x)}$
- replace  $x$  with  $(-x)$  and multiply the series by 9
- replace  $x$  with  $\frac{1}{x}$  and divide the series by 9
- replace  $x$  with  $(-x)$  and divide the series by 9
- replace  $x$  with  $\frac{9}{x}$

\_\_\_\_ 104. Find the sum of the convergent series  $\sum_{n=1}^{\infty} (-1)^{n+1} \frac{1}{11^n n}$  by using a well-known function. Round your answer to four decimal places.

- 0.1671
- 0.7802
- 2.4061
- 0.0870
- 2.3979

\_\_\_\_ 105. Find the sum of the convergent series  $\sum_{n=0}^{\infty} (-1)^n \frac{1}{4^{2n+1} (2n+1)}$  by using a well-known function. Round your answer to four decimal places.

- 0.1419
- 0.2450
- 0.8961
- 0.1651
- 0.1974



\_\_\_ 106. Use the definition to find the Taylor series (centered at  $c$ ) for the function.

$$f(x) = e^{2x}, c = 0$$

a.  $\sum_{n=0}^{\infty} \frac{2^{2n}}{n!} x^n$

b.  $\sum_{n=0}^{\infty} \frac{2^n}{n!} (-1)^n x^n$

c.  $\sum_{n=0}^{\infty} \frac{2^n}{n!} x^n$

d.  $\sum_{n=0}^{\infty} \frac{2^n}{n!} (-1)^n x^{2n}$

e.  $\sum_{n=0}^{\infty} \frac{2^n}{(2n)!} x^{2n}$

\_\_\_ 107. Use the definition to find the Taylor series centered at  $c = \frac{\pi}{4}$  for the function  $f(x) = \cos x$ .

$$\text{a. } \cos x = \frac{\sqrt{2}}{2} \sum_{n=0}^{\infty} \frac{(-1)^{\frac{n(n-1)}{2}} \left(x + \frac{\pi}{4}\right)^n}{n!}$$

$$\text{b. } \cos x = \frac{\sqrt{2}}{2} \sum_{n=0}^{\infty} \frac{(-1)^{\frac{n(n+1)}{2}} \left(x - \frac{\pi}{4}\right)^n}{n!}$$

$$\text{c. } \cos x = \sqrt{2} \sum_{n=0}^{\infty} \frac{(-1)^n \left(x - \frac{\pi}{4}\right)^n}{n!}$$

$$\text{d. } \cos x = \sqrt{2} \sum_{n=0}^{\infty} \frac{(-1)^{\frac{n(n-1)}{2}} \left(x + \frac{\pi}{4}\right)^n}{n!}$$

$$\text{e. } \cos x = \frac{\sqrt{2}}{2} \sum_{n=0}^{\infty} \frac{(-1)^n \left(x - \frac{\pi}{4}\right)^n}{n!}$$

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\_\_\_\_ 108. Use the definition to find the Taylor series centered at  $c = 1$  for the function  $f(x) = \frac{1}{x}$ .

a.  $\frac{1}{x} = \sum_{n=0}^{\infty} (-1)^n x^n$

b.  $\frac{1}{x} = \sum_{n=1}^{\infty} (-1)^n (x+1)^n$

c.  $\frac{1}{x} = \sum_{n=0}^{\infty} (-1)^{n+1} (x-1)^n$

d.  $\frac{1}{x} = \sum_{n=1}^{\infty} (-1)^n (x)^n$

e.  $\frac{1}{x} = \sum_{n=0}^{\infty} (-1)^n (x-1)^n$

\_\_\_ 109. Use the definition to find the Taylor series (centered at  $c$ ) for the function.

$$f(x) = \ln(x^2), c = 1$$

a. 
$$\sum_{n=1}^{\infty} \frac{(-1)^{n-1}(2)}{n} (x-1)^n$$

b. 
$$\sum_{n=1}^{\infty} \frac{(-1)^n(2)}{n} (x-1)^n$$

c. 
$$\sum_{n=1}^{\infty} \frac{(-1)^{n-1}(2)}{n} (x-1)^{n-1}$$

d. 
$$\sum_{n=1}^{\infty} \frac{(-1)^{n-1}(2)}{n-1} (x-1)^{n-1}$$

e. 
$$\sum_{n=1}^{\infty} \frac{(-1)^{n-1}(2)}{n-1} (x-1)^n$$

\_\_\_\_ 110. Use the definition to find the Taylor series centered at  $c = 0$  for the function  $f(x) = 3 \ln(x^2 + 1)$ .

a.  $3 \ln(x^2 + 1) = \sum_{n=0}^{\infty} \frac{(3x)^{2n+2}}{n+1}$

b.  $3 \ln(x^2 + 1) = 3 \sum_{n=0}^{\infty} (-1)^n \frac{x^{n+1}}{n+1}$

c.  $3 \ln(x^2 + 1) = 3 \sum_{n=0}^{\infty} (-1)^n \frac{x^{2n+2}}{n+1}$

d.  $3 \ln(x^2 + 1) = 3 \sum_{n=0}^{\infty} \frac{x^{2n+2}}{n}$

e.  $3 \ln(x^2 + 1) = \sum_{n=0}^{\infty} \frac{(3x)^{n+1}}{n+1}$

\_\_\_\_ 111. Use the binomial series to find the Maclaurian series for the function  $f(x) = \frac{8}{(1+x)^2}$ .

a. 
$$\frac{8}{(x+1)^2} = 8 + 8 \sum_{n=0}^{\infty} \frac{1 \cdot 3 \cdot 5 \cdots (2n-1)x^n}{2^n n!}$$

b. 
$$\frac{8}{(x+1)^2} = 8 + 8 \sum_{n=1}^{\infty} \frac{1 \cdot 3 \cdot 5 \cdots (2n-1)x^n}{2^n n!}$$

c. 
$$\frac{8}{(x+1)^2} = 8 + 8 \sum_{n=0}^{\infty} \frac{1 \cdot 3 \cdot 5 \cdots (2n-1)x^n}{n!}$$

d. 
$$\frac{8}{(x+1)^2} = 8 \sum_{n=0}^{\infty} \frac{1 \cdot 3 \cdot 5 \cdots (2n-1)x^n}{2^n n!}$$

e. 
$$\frac{8}{(x+1)^2} = 8 \sum_{n=1}^{\infty} \frac{(2n-1)x^n}{2^n}$$

\_\_\_ 112. Use the binomial series to find the Maclaurian series for the function  $f(x) = \frac{1}{\sqrt{81+x^2}}$ .

a. 
$$\frac{1}{\sqrt{81+x^2}} = \frac{1}{9} + \sum_{n=0}^{\infty} \frac{1 \cdot 3 \cdot 5 \cdots (2n-1)x^n}{9^n n!}$$

b. 
$$\frac{1}{\sqrt{81+x^2}} = \frac{1}{9} + \sum_{n=1}^{\infty} \frac{(-1)^n 1 \cdot 3 \cdot 5 \cdots (2n-1)x^{2n}}{2^n (2n-1)! 9^{2n+1}}$$

c. 
$$\frac{1}{\sqrt{81+x^2}} = \frac{1}{9} + \sum_{n=1}^{\infty} \frac{(-1)^n 1 \cdot 3 \cdot 5 \cdots (2n-1)x^{2n}}{2^n n! 9^{2n+1}}$$

d. 
$$\frac{1}{\sqrt{81+x^2}} = \frac{1}{9} + \sum_{n=0}^{\infty} \frac{1 \cdot 3 \cdot 5 \cdots (2n-1)x^n}{n!}$$

e. 
$$\frac{1}{\sqrt{81+x^2}} = \frac{1}{9} + \sum_{n=0}^{\infty} \frac{(-1)^n 1 \cdot 3 \cdot 5 \cdots (2n-1)x^{2n}}{2^n 9^{2n+1}}$$

\_\_\_ 113. Use the binomial series to find the Maclaurin series for the function.

$$f(x) = \sqrt{1+x^2}$$

$$\begin{aligned} \text{a. } & 1 - \frac{1}{2}x^2 + \frac{1}{2!2^2}x^4 - \frac{3}{3!2^3}x^6 + \frac{3(5)}{4!2^4}x^8 - \frac{3(5)(7)}{5!2^5}x^{10} + \dots \\ & = 1 - \frac{1}{2}x^2 + \frac{1}{8}x^4 - \frac{1}{16}x^6 + \frac{5}{128}x^8 - \frac{7}{256}x^{10} + \dots \end{aligned}$$

$$\begin{aligned} \text{b. } & 1 - \frac{1}{2}x^2 - \frac{1}{2!2^2}x^4 - \frac{3}{3!2^3}x^6 - \frac{3(5)}{4!2^4}x^8 - \frac{3(5)(7)}{5!2^5}x^{10} - \dots \\ & = 1 - \frac{1}{2}x^2 - \frac{1}{8}x^4 - \frac{1}{16}x^6 - \frac{5}{128}x^8 - \frac{7}{256}x^{10} - \dots \end{aligned}$$

$$\begin{aligned} \text{c. } & 1 + \frac{1}{2}x^2 - \frac{1}{2!2^2}x^4 + \frac{3}{3!2^3}x^6 - \frac{3(5)}{4!2^4}x^8 + \frac{3(5)(7)}{5!2^5}x^{10} - \dots \\ & = 1 + \frac{1}{2}x^2 - \frac{1}{8}x^4 + \frac{1}{16}x^6 - \frac{5}{128}x^8 + \frac{7}{256}x^{10} - \dots \end{aligned}$$

$$\begin{aligned} \text{d. } & 1 + \frac{1}{2}x^2 + \frac{1}{2!2^2}x^4 + \frac{3}{3!2^3}x^6 + \frac{3(5)}{4!2^4}x^8 + \frac{3(5)(7)}{5!2^5}x^{10} + \dots \\ & = 1 + \frac{1}{2}x^2 + \frac{1}{8}x^4 + \frac{1}{16}x^6 + \frac{5}{128}x^8 + \frac{7}{256}x^{10} + \dots \end{aligned}$$

$$\begin{aligned} \text{e. } & -1 + \frac{1}{2}x^2 - \frac{1}{2!2^2}x^4 + \frac{3}{3!2^3}x^6 - \frac{3(5)}{4!2^4}x^8 + \frac{3(5)(7)}{5!2^5}x^{10} - \dots \\ & = -1 + \frac{1}{2}x^2 - \frac{1}{8}x^4 + \frac{1}{16}x^6 - \frac{5}{128}x^8 + \frac{7}{256}x^{10} - \dots \end{aligned}$$



\_\_\_\_ 114. Find the Maclaurian series for the function  $f(x) = e^{\frac{x^7}{9}}$ .

a. 
$$e^{\frac{x^7}{9}} = \sum_{n=1}^{\infty} \frac{x^{7n}}{9^n n!}$$

b. 
$$e^{\frac{x^7}{9}} = \frac{1}{9} \sum_{n=0}^{\infty} \frac{(-1)^n x^{7n}}{n!}$$

c. 
$$e^{\frac{x^7}{9}} = \sum_{n=0}^{\infty} \frac{x^{7n}}{9^n n!}$$

d. 
$$e^{\frac{x^7}{9}} = \frac{1}{9} \sum_{n=0}^{\infty} \frac{x^{7n}}{n!}$$

e. 
$$e^{\frac{x^7}{9}} = \sum_{n=0}^{\infty} \frac{(-1)^n x^{7n}}{9^n n!}$$

\_\_\_ 115. Find the Maclaurian series for the function  $f(x) = \sin 7x$ .

a. 
$$\sin 7x = \sum_{n=0}^{\infty} \frac{(-1)^n (7x)^{2n+1}}{(2n+1)!}$$

b. 
$$\sin 7x = \sum_{n=0}^{\infty} \frac{(-1)^n (7x)^{2n}}{(2n)!}$$

c. 
$$\sin 7x = \sum_{n=0}^{\infty} \frac{(7x)^{2n}}{(2n)!}$$

d. 
$$\sin 7x = \sum_{n=0}^{\infty} \frac{(-1)^n (7x)^{2n+1}}{(n+1)!}$$

e. 
$$\sin 7x = \sum_{n=0}^{\infty} \frac{(7x)^{2n+1}}{(2n+1)!}$$

\_\_\_ 116. Find the Maclaurin series for the function  $f(x) = \cos(x^{17/2})$ .

a. 
$$\cos(x^{17/2}) = 1 - \frac{x^{17}}{2!} + \frac{x^{34}}{4!} - \dots$$

b. 
$$\cos(x^{17/2}) = x - \frac{x^2}{2!} + \frac{x^4}{4!} - \dots$$

c. 
$$\cos(x^{17/2}) = x + \frac{x^{17}}{17!} + \frac{x^{34}}{34!} + \dots$$

d. 
$$\cos(x^{17/2}) = 1 + \frac{x^{17}}{2!} + \frac{x^{34}}{4!} + \dots$$

e. 
$$\cos(x^{17/2}) = x - \frac{x^{17}}{17!} + \frac{x^{34}}{34!} - \dots$$

\_\_\_ 117. Use a power series to approximate the value of the integral  $\int_0^1 e^{-x^4} dx$  with an error of less than 0.01. Round your answer to two decimal places.

- a. 0.81
- b. 0.74
- c. 0.89
- d. 0.88
- e. 0.84

\_\_\_ 118. Use a power series to approximate the value of the integral  $\int_{0.42}^{0.59} \sqrt{1+x^3} dx$  with an error less than 0.001. Round your answer to four decimal places.

- a. 0.1925
- b. 0.1700
- c. 0.1813
- d. 0.1933
- e. 0.1817

\_\_\_ 119. Evaluate  $\binom{7}{5}$  using the formula  $\binom{k}{n} = \frac{k(k-1)(k-2)(k-3)\cdots(k-n+1)}{n!}$  where  $k$  is a real number,  $n$  is a positive integer, and  $\binom{k}{0} = 1$ .

- a. 31
- b. 45
- c. 56
- d. 21
- e. 35

\_\_\_ 120. Use the definition to find the Taylor series centered at  $c = 0$  for the function  $f(x) = \sin 4x$ .

a. 
$$\sum_{n=1}^{\infty} \frac{(-1)^{n+1}(4x)^{2n-1}}{(2n-1)!}$$

b. 
$$\sum_{n=0}^{\infty} \frac{(-1)^n(4x)^{2n+1}}{(2n+1)!}$$

c. 
$$\sum_{n=1}^{\infty} \frac{(-1)^{n+1}(4x)^{2n+1}}{(2n+1)!}$$

d. 
$$\sum_{n=0}^{\infty} \frac{(-1)^{2n-1}(4x)^{2n-1}}{n!}$$

e. 
$$\sum_{n=1}^{\infty} \frac{(-1)^n(4x)^{2n+1}}{(2n+1)!}$$

## Ch 9

### Answer Section

#### MULTIPLE CHOICE

1. ANS: B                   PTS: 1                   DIF: Medium           REF: Section 9.1  
OBJ: Identify the graph of a sequence   MSC: Skill
2. ANS: E                   PTS: 1                   DIF: Medium           REF: Section 9.1  
OBJ: Identify the graph of a sequence   MSC: Skill
3. ANS: B                   PTS: 1                   DIF: Medium           REF: Section 9.1  
OBJ: Calculate the limit of a sequence if it converges   MSC: Skill
4. ANS: D                   PTS: 1                   DIF: Medium           REF: Section 9.1  
OBJ: Write an expression for the nth term of a sequence   MSC: Skill
5. ANS: B                   PTS: 1                   DIF: Easy              REF: Section 9.2  
OBJ: Test a series for divergence using the nth Term Test for Divergence  
MSC: Skill
6. ANS: E                   PTS: 1                   DIF: Medium           REF: Section 9.2  
OBJ: Calculate the sum of a geometric series   MSC: Skill
7. ANS: A                   PTS: 1                   DIF: Medium           REF: Section 9.3  
OBJ: Test a series for convergence using the Integral Test   MSC: Skill
8. ANS: A                   PTS: 1                   DIF: Medium           REF: Section 9.3  
OBJ: Test a series for convergence using the Integral Test   MSC: Skill
9. ANS: A                   PTS: 1                   DIF: Medium           REF: Section 9.3  
OBJ: Test a series for convergence using the Integral Test   MSC: Skill
10. ANS: B                   PTS: 1                   DIF: Medium           REF: Section 9.3  
OBJ: Test a series for convergence using the Integral Test   MSC: Skill
11. ANS: A                   PTS: 1                   DIF: Medium           REF: Section 9.3  
OBJ: Test a series for convergence using the Integral Test   MSC: Skill
12. ANS: C                   PTS: 1                   DIF: Medium           REF: Section 9.3  
OBJ: Test a series for convergence using the Integral Test   MSC: Skill
13. ANS: A                   PTS: 1                   DIF: Medium           REF: Section 9.3  
OBJ: Test a series for convergence using the Integral Test   MSC: Skill
14. ANS: A                   PTS: 1                   DIF: Easy              REF: Section 9.3  
OBJ: Test a series for convergence using the Integral Test   MSC: Skill
15. ANS: B                   PTS: 1                   DIF: Easy              REF: Section 9.3  
OBJ: Test a series for convergence using the Integral Test   MSC: Skill
16. ANS: A                   PTS: 1                   DIF: Medium           REF: Section 9.3  
OBJ: Test a p-series for convergence   MSC: Skill
17. ANS: A                   PTS: 1                   DIF: Medium           REF: Section 9.3  
OBJ: Test a geometric series for convergence   MSC: Skill
18. ANS: A                   PTS: 1                   DIF: Easy              REF: Section 9.4  
OBJ: Test a series for convergence using the Direct Comparison Test  
MSC: Skill           NOT: Section 9.4
19. ANS: B                   PTS: 1                   DIF: Easy              REF: Section 9.4  
OBJ: Test a series for convergence using the Direct Comparison Test  
MSC: Skill

20. ANS: B                   PTS: 1                   DIF: Easy                   REF: Section 9.4  
OBJ: Test a series for convergence using the Direct Comparison Test  
MSC: Skill
21. ANS: B                   PTS: 1                   DIF: Medium                   REF: Section 9.4  
OBJ: Test a series for convergence using the Direct Comparison Test  
MSC: Skill
22. ANS: B                   PTS: 1                   DIF: Medium                   REF: Section 9.4  
OBJ: Test a series for convergence using the Direct Comparison Test  
MSC: Skill
23. ANS: B                   PTS: 1                   DIF: Easy                   REF: Section 9.4  
OBJ: Test a series for convergence using the Limit Comparison Test  
MSC: Skill
24. ANS: A                   PTS: 1                   DIF: Easy                   REF: Section 9.4  
OBJ: Test a series for convergence using the Limit Comparison Test  
MSC: Skill
25. ANS: A                   PTS: 1                   DIF: Easy                   REF: Section 9.4  
OBJ: Test a series for convergence using the Limit Comparison Test  
MSC: Skill
26. ANS: B                   PTS: 1                   DIF: Medium                   REF: Section 9.4  
OBJ: Test a series for convergence using the Limit Comparison Test  
MSC: Skill
27. ANS: A                   PTS: 1                   DIF: Easy                   REF: Section 9.4  
OBJ: Test a series for convergence using the Limit Comparison Test  
MSC: Skill
28. ANS: B                   PTS: 1                   DIF: Easy                   REF: Section 9.4  
OBJ: Test a series for convergence using the Limit Comparison Test  
MSC: Skill
29. ANS: B                   PTS: 1                   DIF: Medium                   REF: Section 9.4  
OBJ: Test a series for convergence using the Limit Comparison Test  
MSC: Skill
30. ANS: B                   PTS: 1                   DIF: Medium                   REF: Section 9.4  
OBJ: Test a series for convergence using the Direct Comparison Test  
MSC: Skill
31. ANS: B                   PTS: 1                   DIF: Medium                   REF: Section 9.4  
OBJ: Test a series for convergence using the Limit Comparison Test  
MSC: Skill
32. ANS: A                   PTS: 1                   DIF: Medium                   REF: Section 9.4  
OBJ: Calculate the sum of a series using a known sum                   MSC: Skill
33. ANS: B                   PTS: 1                   DIF: Easy                   REF: Section 9.5  
OBJ: Test an alternating series for convergence                   MSC: Skill
34. ANS: B                   PTS: 1                   DIF: Easy                   REF: Section 9.5  
OBJ: Test an alternating series for convergence                   MSC: Skill
35. ANS: A                   PTS: 1                   DIF: Easy                   REF: Section 9.5  
OBJ: Test an alternating series for convergence                   MSC: Skill
36. ANS: A                   PTS: 1                   DIF: Easy                   REF: Section 9.5  
OBJ: Test a series for absolute/conditional convergence                   MSC: Skill
37. ANS: D                   PTS: 1                   DIF: Medium                   REF: Section 9.5  
OBJ: Test a series for absolute/conditional convergence                   MSC: Skill

38. ANS: E                   PTS: 1                   DIF: Medium           REF: Section 9.5  
OBJ: Approximate the sum of the series by using the first terms  
MSC: Skill
39. ANS: A                   PTS: 1                   DIF: Medium           REF: Section 9.5  
OBJ: Determine the minimal number of terms required to approximate the sum of the series with an error  
MSC: Skill
40. ANS: E                   PTS: 1                   DIF: Medium           REF: Section 9.5  
OBJ: Determine the minimal number of terms required to approximate the sum of the series with an error  
MSC: Skill
41. ANS: A                   PTS: 1                   DIF: Medium           REF: Section 9.5  
OBJ: Approximate the sum of the series by using the first terms  
MSC: Skill
42. ANS: B                   PTS: 1                   DIF: Medium           REF: Section 9.6  
OBJ: Test a series for convergence using the Ratio Test  
MSC: Skill
43. ANS: C                   PTS: 1                   DIF: Easy              REF: Section 9.6  
OBJ: Test a series for convergence using the Ratio Test  
MSC: Skill
44. ANS: A                   PTS: 1                   DIF: Easy              REF: Section 9.6  
OBJ: Test a series for convergence using the Ratio Test  
MSC: Skill
45. ANS: A                   PTS: 1                   DIF: Medium           REF: Section 9.6  
OBJ: Test a series for convergence using the Ratio Test  
MSC: Skill
46. ANS: B                   PTS: 1                   DIF: Difficult         REF: Section 9.6  
OBJ: Test a series for convergence using the Ratio Test  
MSC: Skill
47. ANS: A                   PTS: 1                   DIF: Easy              REF: Section 9.6  
OBJ: Test a series for convergence using the Root Test  
MSC: Skill
48. ANS: B                   PTS: 1                   DIF: Easy              REF: Section 9.6  
OBJ: Test a series for convergence using the Root Test  
MSC: Skill
49. ANS: B                   PTS: 1                   DIF: Easy              REF: Section 9.6  
OBJ: Test a series for convergence using the Root Test  
MSC: Skill
50. ANS: B                   PTS: 1                   DIF: Easy              REF: Section 9.6  
OBJ: Test a series for convergence using the Root Test  
MSC: Skill
51. ANS: B                   PTS: 1                   DIF: Medium           REF: Section 9.6  
OBJ: Test a series for convergence using the Root Test  
MSC: Skill
52. ANS: A                   PTS: 1                   DIF: Easy              REF: Section 9.6  
OBJ: Test a series for convergence           MSC: Skill
53. ANS: C                   PTS: 1                   DIF: Easy              REF: Section 9.6  
OBJ: Identify the most appropriate test to be used to test a series for convergence  
MSC: Skill
54. ANS: C                   PTS: 1                   DIF: Medium           REF: Section 9.6  
OBJ: Identify the most appropriate test to be used to test a series for convergence  
MSC: Skill
55. ANS: B                   PTS: 1                   DIF: Medium           REF: Section 9.6  
OBJ: Identify the most appropriate test to be used to test a series for convergence  
MSC: Skill
56. ANS: C                   PTS: 1                   DIF: Medium           REF: Section 9.6  
OBJ: Identify the most appropriate test to be used to test a series for convergence  
MSC: Skill

57. ANS: B                   PTS: 1                   DIF: Easy                   REF: Section 9.6  
OBJ: Test a series for convergence                   MSC: Skill
58. ANS: B                   PTS: 1                   DIF: Medium                   REF: Section 9.6  
OBJ: Test a series for convergence                   MSC: Skill
59. ANS: B                   PTS: 1                   DIF: Medium                   REF: Section 9.6  
OBJ: Identify the most appropriate test to be used to test a series for convergence  
MSC: Skill
60. ANS: C                   PTS: 1                   DIF: Medium                   REF: Section 9.6  
OBJ: Identify the interval of convergence of a geometric power series  
MSC: Skill
61. ANS: D                   PTS: 1                   DIF: Medium                   REF: Section 9.6  
OBJ: Identify the interval of convergence of a geometric power series  
MSC: Skill
62. ANS: E                   PTS: 1                   DIF: Medium                   REF: Section 9.7  
OBJ: Create a first-degree Taylor polynomial for a function                   MSC: Skill
63. ANS: A                   PTS: 1                   DIF: Medium                   REF: Section 9.7  
OBJ: Write a Maclaurin polynomial for a given function                   MSC: Skill
64. ANS: B                   PTS: 1                   DIF: Medium                   REF: Section 9.7  
OBJ: Write a Maclaurin polynomial for a given function                   MSC: Skill
65. ANS: A                   PTS: 1                   DIF: Medium                   REF: Section 9.7  
OBJ: Write a Maclaurin polynomial for a given function                   MSC: Skill
66. ANS: B                   PTS: 1                   DIF: Medium                   REF: Section 9.7  
OBJ: Write a Maclaurin polynomial for a given function                   MSC: Skill
67. ANS: E                   PTS: 1                   DIF: Medium                   REF: Section 9.7  
OBJ: Write a Maclaurin polynomial for a given function                   MSC: Skill
68. ANS: C                   PTS: 1                   DIF: Difficult                   REF: Section 9.7  
OBJ: Write a Maclaurin polynomial for a given function                   MSC: Skill
69. ANS: B                   PTS: 1                   DIF: Easy                   REF: Section 9.7  
OBJ: Write a Taylor polynomial for a given function                   MSC: Skill
70. ANS: C                   PTS: 1                   DIF: Medium                   REF: Section 9.7  
OBJ: Write a Taylor polynomial for a given function                   MSC: Skill
71. ANS: C                   PTS: 1                   DIF: Medium                   REF: Section 9.7  
OBJ: Write a Taylor polynomial for a given function                   MSC: Skill
72. ANS: A                   PTS: 1                   DIF: Difficult                   REF: Section 9.7  
OBJ: Identify the degree of a Maclaurin polynomial required for a specified accuracy  
MSC: Skill
73. ANS: A                   PTS: 1                   DIF: Medium                   REF: Section 9.7  
OBJ: Identify an interval over which a Taylor polynomial approximates a function within a specified accuracy  
MSC: Skill
74. ANS: C                   PTS: 1                   DIF: Easy                   REF: Section 9.8  
OBJ: Identify the center of a power series                   MSC: Skill
75. ANS: C                   PTS: 1                   DIF: Easy                   REF: Section 9.8  
OBJ: Identify the radius of convergence of a power series                   MSC: Skill
76. ANS: A                   PTS: 1                   DIF: Easy                   REF: Section 9.8  
OBJ: Identify the radius of convergence of a power series                   MSC: Skill
77. ANS: B                   PTS: 1                   DIF: Medium                   REF: Section 9.8  
OBJ: Identify the interval of convergence of a power series                   MSC: Skill



78. ANS: D           PTS: 1           DIF: Medium       REF: Section 9.8  
OBJ: Identify the interval of convergence of a power series   MSC: Skill
79. ANS: A           PTS: 1           DIF: Medium       REF: Section 9.8  
OBJ: Identify the interval of convergence of a power series   MSC: Skill
80. ANS: D           PTS: 1           DIF: Medium       REF: Section 9.8  
OBJ: Identify the interval of convergence of a power series   MSC: Skill
81. ANS: E           PTS: 1           DIF: Medium       REF: Section 9.8  
OBJ: Identify the interval of convergence of a power series   MSC: Skill
82. ANS: A           PTS: 1           DIF: Medium       REF: Section 9.8  
OBJ: Write a power series as an equivalent series after a change of index  
MSC: Skill
83. ANS: C           PTS: 1           DIF: Medium       REF: Section 9.8  
OBJ: Write a power series as an equivalent series after a change of index  
MSC: Skill
84. ANS: E           PTS: 1           DIF: Medium       REF: Section 9.8  
OBJ: Identify the interval of convergence of the derivative of a power series  
MSC: Skill
85. ANS: D           PTS: 1           DIF: Medium       REF: Section 9.8  
OBJ: Identify the interval of convergence of the antiderivative of a power series  
MSC: Skill
86. ANS: E           PTS: 1           DIF: Difficult     REF: Section 9.8  
OBJ: Identify the interval of convergence of the derivative of a power series  
MSC: Skill
87. ANS: B           PTS: 1           DIF: Difficult     REF: Section 9.8  
OBJ: Identify the interval of convergence of the antiderivative of a power series  
MSC: Skill
88. ANS: D           PTS: 1           DIF: Medium       REF: Section 9.8  
OBJ: Verify a series solution to a given differential equation   MSC: Skill
89. ANS: D           PTS: 1           DIF: Easy          REF: Section 9.9  
OBJ: Represent a function as a power series using the geometric power series  
MSC: Skill
90. ANS: A           PTS: 1           DIF: Easy          REF: Section 9.9  
OBJ: Represent a function as a power series using the geometric power series  
MSC: Skill
91. ANS: A           PTS: 1           DIF: Medium       REF: Section 9.9  
OBJ: Represent a function as a power series using the geometric power series  
MSC: Skill
92. ANS: D           PTS: 1           DIF: Easy          REF: Section 9.9  
OBJ: Represent a function as a power series using the geometric power series  
MSC: Skill
93. ANS: B           PTS: 1           DIF: Medium       REF: Section 9.9  
OBJ: Represent a function as a power series using the geometric power series  
MSC: Skill
94. ANS: C           PTS: 1           DIF: Difficult     REF: Section 9.9  
OBJ: Represent a function as a power series using the geometric power series  
MSC: Skill

95. ANS: C                   PTS: 1                   DIF: Medium           REF: Section 9.9  
OBJ: Represent a function as a power series using the geometric power series  
MSC: Skill
96. ANS: A                   PTS: 1                   DIF: Easy              REF: Section 9.9  
OBJ: Represent a function as a power series using differentiation of power series  
MSC: Skill
97. ANS: C                   PTS: 1                   DIF: Easy              REF: Section 9.9  
OBJ: Identify the interval of convergence of a power series   MSC: Skill
98. ANS: E                   PTS: 1                   DIF: Easy              REF: Section 9.9  
OBJ: Represent a function as a power series using a given power series  
MSC: Skill
99. ANS: A                   PTS: 1                   DIF: Easy              REF: Section 9.9  
OBJ: Identify the interval of convergence of a power series   MSC: Skill
100. ANS: A                   PTS: 1                   DIF: Medium           REF: Section 9.9  
OBJ: Approximate a function at a point using a power series   MSC: Skill
101. ANS: C                   PTS: 1                   DIF: Medium           REF: Section 9.9  
OBJ: Represent a function as a power series using differentiation of power series  
MSC: Skill
102. ANS: B                   PTS: 1                   DIF: Medium           REF: Section 9.9  
OBJ: Identify the interval of convergence of a power series   MSC: Skill
103. ANS: B                   PTS: 1                   DIF: Medium           REF: Section 9.9  
OBJ: Explain how to use the geometric power series to find a power series for a function  
MSC: Skill
104. ANS: D                   PTS: 1                   DIF: Difficult         REF: Section 9.9  
OBJ: Calculate the sum of a series using a known power series   MSC: Skill
105. ANS: B                   PTS: 1                   DIF: Difficult         REF: Section 9.9  
OBJ: Calculate the sum of a series using a known power series   MSC: Skill
106. ANS: C                   PTS: 1                   DIF: Medium           REF: Section 9.10  
OBJ: Write the Taylor series of a function centered at a specified point  
MSC: Skill
107. ANS: B                   PTS: 1                   DIF: Easy              REF: Section 9.10  
OBJ: Write the Taylor series of a function centered at a specified point  
MSC: Skill
108. ANS: E                   PTS: 1                   DIF: Easy              REF: Section 9.10  
OBJ: Write the Taylor series of a function centered at a specified point  
MSC: Skill
109. ANS: A                   PTS: 1                   DIF: Medium           REF: Section 9.10  
OBJ: Write the Taylor series of a function centered at a specified point  
MSC: Skill
110. ANS: C                   PTS: 1                   DIF: Medium           REF: Section 9.10  
OBJ: Write the Taylor series of a function centered at a specified point  
MSC: Skill
111. ANS: B                   PTS: 1                   DIF: Medium           REF: Section 9.10  
OBJ: Write the Maclaurian series for a function using the binomial series  
MSC: Skill
112. ANS: C                   PTS: 1                   DIF: Medium           REF: Section 9.10  
OBJ: Write the Maclaurian series for a function using the binomial series  
MSC: Skill

113. ANS: C                   PTS: 1                   DIF: Medium           REF: Section 9.10  
OBJ: Write the Maclaurian series for a function using the binomial series  
MSC: Skill
114. ANS: C                   PTS: 1                   DIF: Medium           REF: Section 9.10  
OBJ: Write the Maclaurian series for a function using a known power series  
MSC: Skill
115. ANS: A                   PTS: 1                   DIF: Easy              REF: Section 9.10  
OBJ: Write the Maclaurian series for a function using a known power series  
MSC: Skill
116. ANS: A                   PTS: 1                   DIF: Medium           REF: Section 9.10  
OBJ: Write the Maclaurian series for a function using a known power series  
MSC: Skill
117. ANS: E                   PTS: 1                   DIF: Difficult         REF: Section 9.10  
OBJ: Approximate a definite integral by using power series       MSC: Skill
118. ANS: C                   PTS: 1                   DIF: Difficult         REF: Section 9.10  
OBJ: Approximate a definite integral using power series         MSC: Skill
119. ANS: D                   PTS: 1                   DIF: Easy              REF: Section 9.10  
OBJ: Evaluate a binomial coefficient       MSC: Skill
120. ANS: A                   PTS: 1                   DIF: Medium           REF: Section 9.10  
OBJ: Write the Taylor series of a function centered at a specified point  
MSC: Skill