1. Make a function that describes how much to pay if the $p=$ price and there is $8.25 \%$ tax.
2. Make a function that describes how much to pay if the $p=$ price and $t=\operatorname{tax}$.
3. Make a inverse function so given $x$ dollars, and $8.25 \%$ tax, what is the most expensive price you can afford, and still have enough money to pay for the item with tax?
4. A money market account pays an annual rate of $6 \%$, compounded quarterly. This means every 3 months they will add $\frac{6 \%}{4}$ to your account. Construct a function that describes the value of the account after $n$ quarters, given an inital (prinicipal) value of $P$ dollars.
5. Did you come up with somthing similar to $A_{t}=P\left(1+\frac{r}{n}\right)^{n t}$ ? Does this make sense?
6. Can you make a function that will tell you how long it will take to earn $A$ dollars, given principal $P$, an interest rate $r$ compounded $n$ times annually? (Hint: just use the function above and solve for $t)$.
7. Make a inverse function so given $x$ dollars, and tax $t$, what is the most expensive price you can afford, and still have enough money to pay for the tax?
